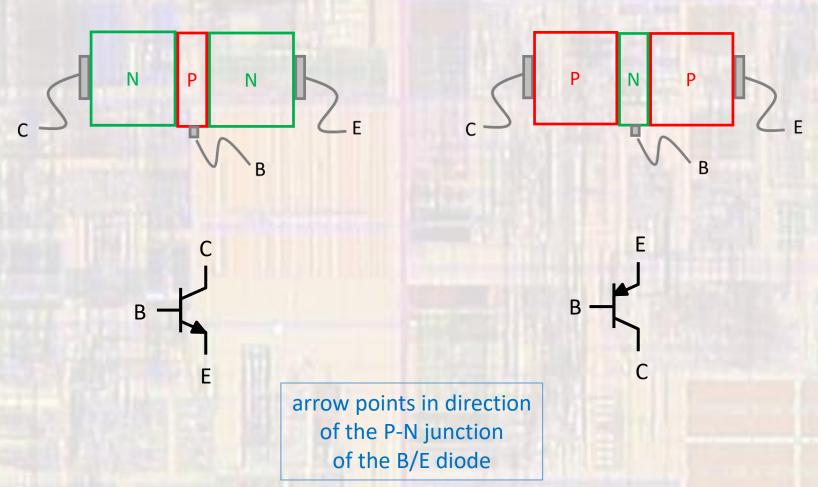
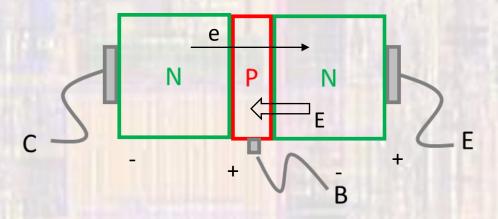
Last updated 2/21/22

#### Review



CE 3101 2 © tj

- Reverse Active Mode NPN
  - B-E junction reverse biased, C-B junction forward biased



- With a short base the electrons injected into the base get swept into the emitter by the electric field
- In the ideal case all of the electrons would be swept into the emitter, leaving only a small hole current in the base
- In the real case additional factors lead to a small (relative to collector) base current

- Reverse Active Mode NPN
  - B-E junction reverse biased, C-B junction forward biased
  - The Emitter acts as the Collector and the Collector acts as the Emitter
  - Emitter Current
    - By convention we reference all the the currents to the emitter

$$I_E = I_S \left[ e^{\left( \frac{V_{BC}}{nV_T} \right)} \right]$$

for  $V_{BE}$  > few  $V_T$ , n and  $I_S$  device dependent

$$I_B = \frac{I_E}{\beta} = \frac{1}{\beta} I_S \left[ e^{\left(\frac{V_{BC}}{nV_T}\right)} \right]$$

$$I_C = \frac{1}{\alpha} I_E = \frac{1}{\alpha} I_S \left[ e^{\left(\frac{V_{BC}}{nV_T}\right)} \right]$$

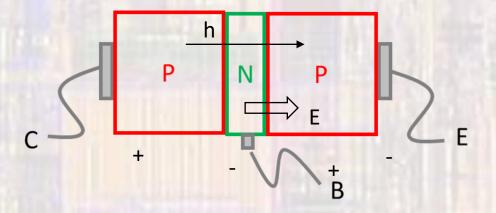
$$I_E = \beta I_B$$

 $\beta_R$  is much smaller than  $\beta_F$  due to the relative doping of C and E

© ti

$$I_C = I_E + I_B$$

- Reverse Active Mode PNP
  - B-E junction reverse biased, C-B junction forward biased



- With a short base the holes injected into the base get swept into the emitter by the electric field
- In the ideal case all of the holes would be swept into the emitter, leaving only a small electron current in the base
- In the real case additional factors lead to a small (relative to emitter) base current

## **BJT Forward Active**

#### Forward Active Mode - PNP

- B-E junction reverse biased, C-B junction forward biased
- The Emitter acts as the Collector and the Collector acts as the Emitter
- Emitter Current
  - By convention we reference all the the currents to the emitter

$$I_E = I_S \left[ e^{\left( \frac{V_{CB}}{nV_T} \right)} \right]$$

for  $V_{BE}$  > few  $V_T$ , n and  $I_S$  device dependent

$$I_B = \frac{I_E}{\beta} = \frac{1}{\beta} I_S \left[ e^{\left(\frac{V_{CB}}{nV_T}\right)} \right]$$

$$I_C = \frac{1}{\alpha} I_E = \frac{1}{\alpha} I_S \left[ e^{\left( \frac{V_{CB}}{nV_T} \right)} \right]$$

$$I_E = \beta I_B$$

 $\beta_R$  is much smaller than  $\beta_F$  due to the relative doping of C and E

$$I_C = I_E + I_B$$