

Bitwise Logic

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These slides introduce bitwise logic concepts used in programming

Bitwise Logic

- Terminology
 - Consider an 8 bit value

abcd efg_h where the values are unknown to us, but are either 0 or 1
e.g. abcd efg_h where a,d,f,g are 1, the others are 0 → 1001 0110
- Bitwise
 - Match bits between two values and perform the desired operation bit by bit – resulting in a new binary number

abcd efg_h bitwise-AND ijk_l mnop → (a and i) (b and j) (c and k) ...
1011 1010 bitwise-AND 1100 1001 → 
and'd
10001000
- Bitwise operators: AND, OR, NOT, XOR

Bitwise Logic

- Bitwise Logic in C
 - Logic Expression
 - Operation Operand(bits) → new binary word
 - Operand(bits) Operation Operand(bits) → new binary word
 - Operations
 - NOT – flips the evaluation of the operand bits
 - OR – evaluates as True if either operand bit is true (including both)
 - AND – evaluates as True if both operands bits are true
 - XOR – evaluates as True if only 1 operands bit is true (but not both)

Bitwise Logic

- Bitwise NOT – flips the evaluation of the operand's bits
 - \sim operand

A = 0000 1001

B = 1111 1101

$\sim A \rightarrow 1111\ 0110$

$\sim B \rightarrow 0000\ 0010$

Bitwise Logic

- Bitwise OR – evaluates to T if either operand's bit is T
 - operand | operand

A = 0000 1001

B = 1111 1101

C = 0100 1010

$$A \mid C \rightarrow \begin{array}{r} 0000\ 1001 \\ OR \quad 0100\ 1010 \\ \hline 0100\ 1011 \end{array}$$

$$A \mid (\sim B) \rightarrow \begin{array}{r} 0000\ 1001 \\ OR \quad 0000\ 0010 \\ \hline 0000\ 1011 \end{array}$$

Bitwise Logic

- Bitwise AND – evaluates to T if both operand's bits are T
 - operand & operand

A = 0000 1001

B = 1111 1101

C = 0100 1010

$$\begin{array}{l} A \& C \rightarrow \\ & \text{AND} \end{array} \begin{array}{r} 0000\ 1001 \\ 0100\ 1010 \\ \hline 0000\ 1000 \end{array}$$

$$\begin{array}{l} B \& C \rightarrow \\ & \text{AND} \end{array} \begin{array}{r} 1111\ 1101 \\ 0100\ 1010 \\ \hline 0100\ 1000 \end{array}$$

Bitwise Logic

- Bitwise XOR – evaluates to T if **only one** operand's bit is T
 - operand \wedge operand

A = 0000 1001

B = 1111 1101

C = 0100 1010

$$A \wedge C \rightarrow \begin{array}{r} 0000\ 1001 \\ 0100\ 1010 \\ \hline 0100\ 0011 \end{array}$$

$$B \wedge C \rightarrow \begin{array}{r} 1111\ 1101 \\ 0100\ 1010 \\ \hline 1011\ 0111 \end{array}$$