

Semiconductor Basics

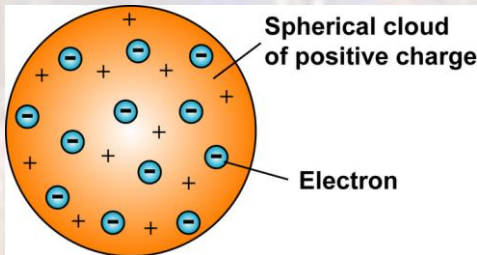
Last updated 12/22/23

These concepts have been **greatly** simplified

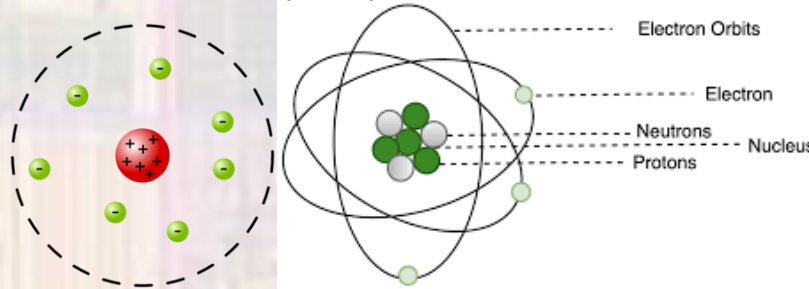
The Atom

- Our understanding of atomic structure has changed over time

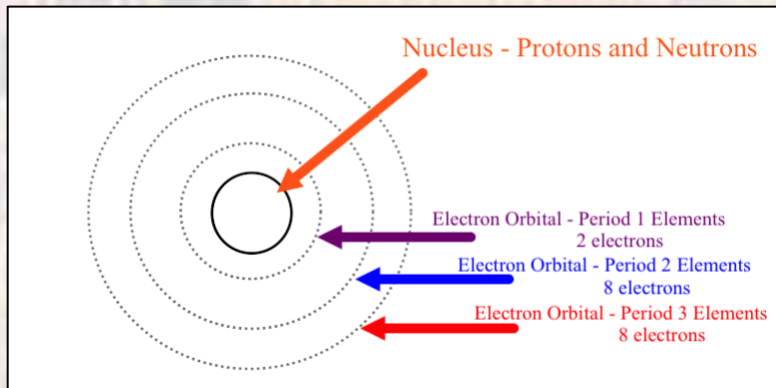
Thomson (1897) – Plum Pudding



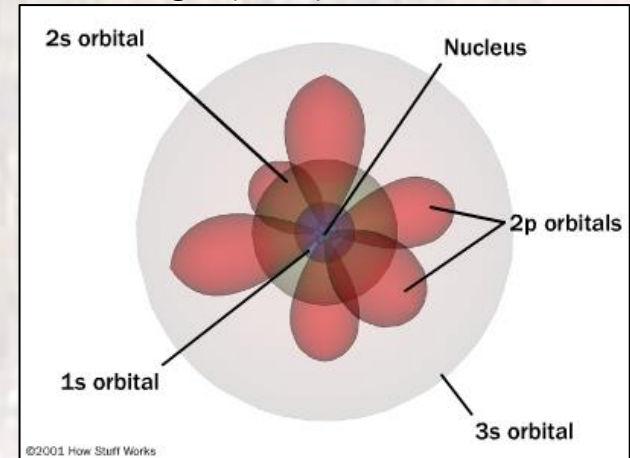
Rutherford (1909) – Distinct nucleus



Bohr (1913) – Electron Orbitals



Schrödinger (1926) – Electron Clouds



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The Atom

- Electron configurations

Electron Configurations in the Periodic Table

1 H 1s																	2 He 1s								
3 Li 2s	4 Be											5 B	6 C	7 N	8 O	9 F	10 Ne								
11 Na 3s	12 Mg											13 Al	14 Si	15 P	16 S	17 Cl	18 Ar								
19 K 4s	20 Ca	21 Sc	22 Ti	23 V	24 Cr	25 Mn	26 Fe	27 Co	28 Ni	29 Cu	30 Zn	31 Ga	32 Ge	33 As	34 Se	35 Br	36 Kr								
37 Rb 5s	38 Sr	39 Y	40 Zr	41 Nb	42 Mo	43 Tc	44 Ru	45 Rh	46 Pd	47 Ag	48 Cd	49 In	50 Sn	51 Sb	52 Te	53 I	54 Xe								
55 Cs 6s	56 Ba	57 La	72 Hf	73 Ta	74 W	75 Re	76 Os	77 Ir	78 Pt	79 Au	80 Hg	81 Tl	82 Pb	83 Bi	84 Po	85 At	86 Rn								
87 Fr 7s	88 Ra	89 Ac	104 Rf	105 Db	106 Sg	107 Bh	108 Hs	109 Mt	110	111	112	113	114												
												58 Ce	59 Pr	60 Nd	61 Pm	62 Sm	63 Eu	64 Gd	65 Tb	66 Dy	67 Ho	68 Er	69 Tm	70 Yb	71 Lu
												90 Th	91 Pa	92 U	93 Np	94 Pu	95 Am	96 Cm	97 Bk	98 Cf	99 Es	100 Fm	101 Md	102 No	103 Lr

by: Sarah Faizi

Discrete electron orbitals <-> Discrete energy levels to free/capture electrons

Higher electron configuration orbitals <-> Less energy to free the electron

Full electron configuration orbitals <-> More energy to free an electron

The Atom

- A few atoms of interest

Silicon

Symbol: Si
Atomic number: 14
Atomic mass: 28.0855 au
Electron Config: $1s^2 2s^2 2p^6 3s^2 3p^2$ [Ne] $3s^2 3p^2$
Valence Electrons: 4, (4 empty spots)

8 possible
states / atom

Boron

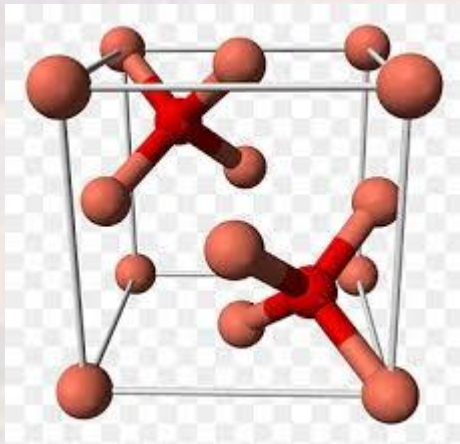
Symbol: B
Atomic number: 5
Atomic mass: 10.811 au
Electron Config: $1s^2 2s^2 2p^1$ [He] $2s^2 2p^1$
Valence Electrons: 3, (1 empty spot)

Phosphorus

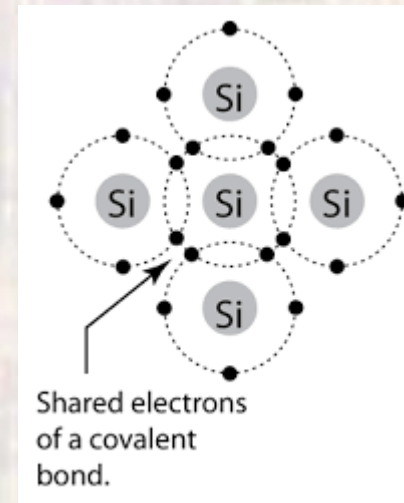
Symbol: P
Atomic number: 15
Atomic mass: 30.974 au
Electron Config: $1s^2 2s^2 2p^6 3s^2 3p^3$ [Ne] $3s^2 3p^3$
Valence Electrons: 5, (3 empty spots)

Silicon Crystal Structure

- Silicon unit cell – bonding model
 - Si has a half full outer electron shell (4 / 8)
 - Lowest energy state is the Diamond Lattice
 - 4 electrons are shared between 4 nearest neighbors



Atoms showing
4 nearest neighbor
structure

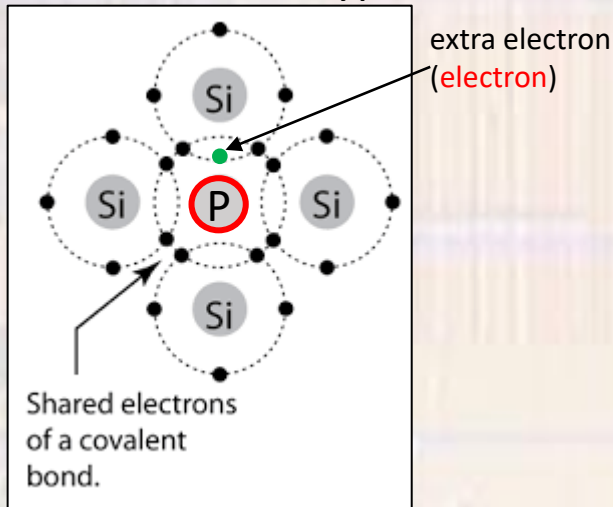


Each atom appears to have a full
valence band → very stable

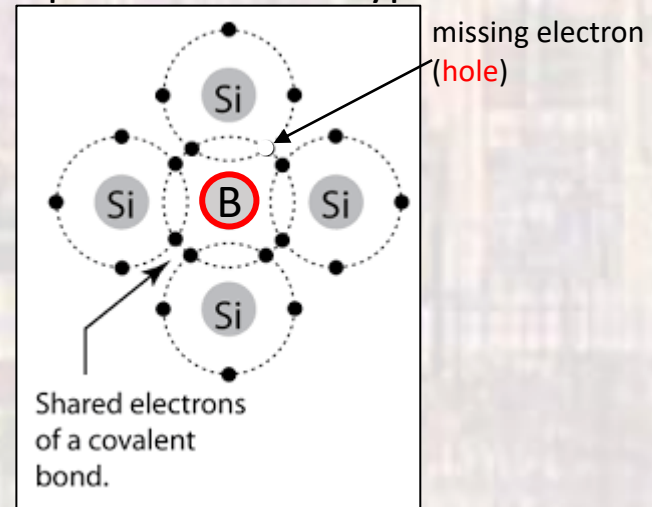
Silicon Doping

- Replace some of the Si atoms in the crystal with another atom

Phosphorus
5 e- in its outer shell
Donor atom → N-type Si



Boron
3 e- in its outer shell
Acceptor atom → P-type Si



excess e- is easily freed

Acts like a conductor for Electrons
(negative charge carriers)

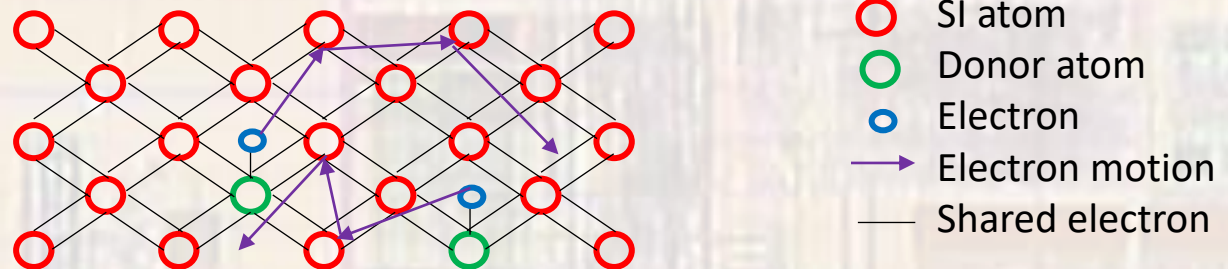
excess hole is easily freed

Acts like a conductor for Holes
(positive charge carriers)

Carrier Action

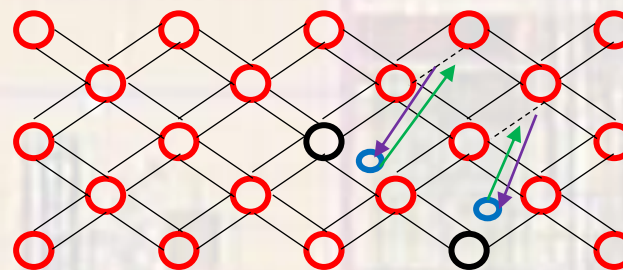
- Mobility - Electrons

- Measure of how easy(hard) it is to move a charged particle through a solid
- Lots of physics here – but to simplify – for Si
 - **Conduction electrons** represent an excess electron in the shared 3sp band from donor atoms
 - Free electron generation requires breaking a relatively weak bond
 - Movement is limited by collisions



Carrier Action

- Mobility - Holes
 - Measure of how easy(hard) it is to move a charged particle through a solid
 - Lots of physics here – but to simplify – for Si
 - **Valence holes** represent a missing electron in the shared 3sp band from acceptor atoms
 - Hole generation requires breaking a relatively strong “normal” electron bond
 - Electrons must ‘find’ an open bond to move



- Si atom
- Acceptor atom
- Electron
- Electron motion
- Hole motion
- Shared electron

Carrier Action

- Mobility
 - Measure of how easy(hard) it is to move a charged particle through a solid
 - For moderately doped bulk Si:

Electron mobility: $\mu_n \approx 1500 \frac{cm^2}{Vs}$

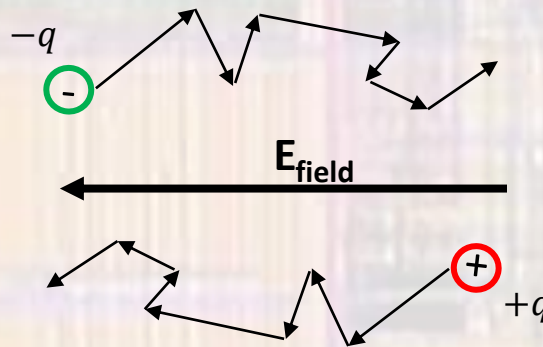
Hole mobility: $\mu_p \approx 500 \frac{cm^2}{Vs}$

This 3:1 ratio is critical to understand for good electronic circuit design

- For advanced technologies Si:
 - Mobility typically ranges from 2:1 to 1:1

Carrier Action

- Drift
 - Motion of a charged particle due to an electric field
 - Subject to collisions and random thermal motion



current density: *current per cross sectional area*

Hole current density: $J_{p\text{-drift}} = qp\mu_p E$

p – hole density
 μ_p – hole mobility

Electron current density: $J_{n\text{-drift}} = qn\mu_n E$

n – electron density
 μ_n – electron mobility

Carrier Action

- Drift Current

- For 2 equal cross-sectional areas (A) of silicon (one n, one p)
- With the same doping density ($n = p$)
- In the same Electric field (E)

$$I_p = qp\mu_p EA \qquad I_n = qn\mu_n EA$$

- But remember, $\mu_n \sim 3 \times \mu_p$

Under equal circumstances:

N-type silicon conducts 3 times as much current as P-type silicon