

Linear Regulation

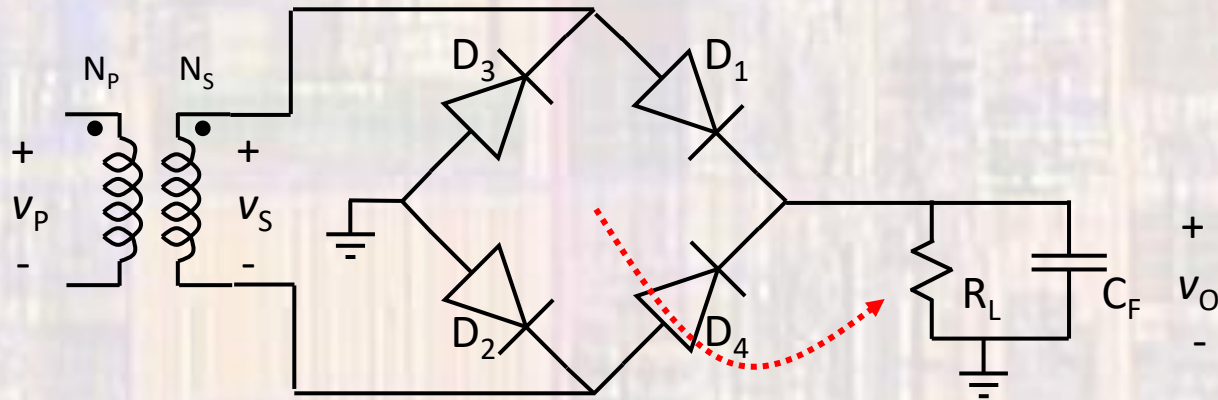
Last updated 2/1/24

Linear Regulation

- DC Power
 - Essentially all digital systems and most analog systems run on DC power internally
 - DC power solutions vary over time
 - Batteries run down
 - AC power solutions need to be converted to DC
- Voltage regulation

Linear Regulation

- Add a simple Low Pass Filter to a rectifier

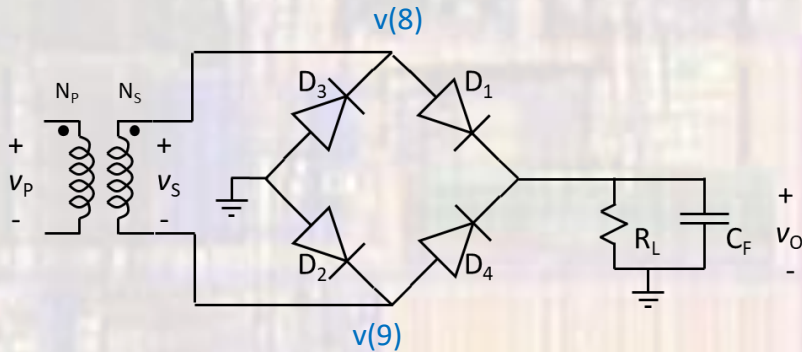


Filter time constant: $\tau = R_L C_F$

Filter Decay Equation: $v_o = v_{init_{ial}} e^{-t/\tau}$

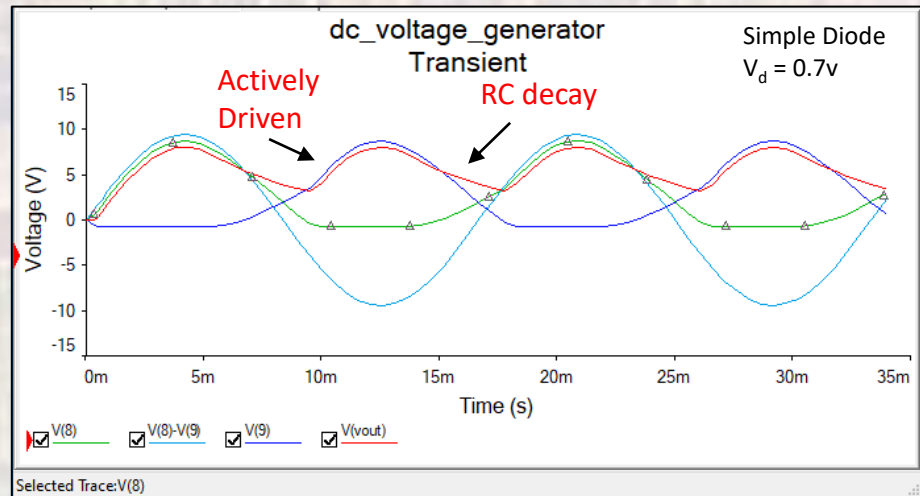
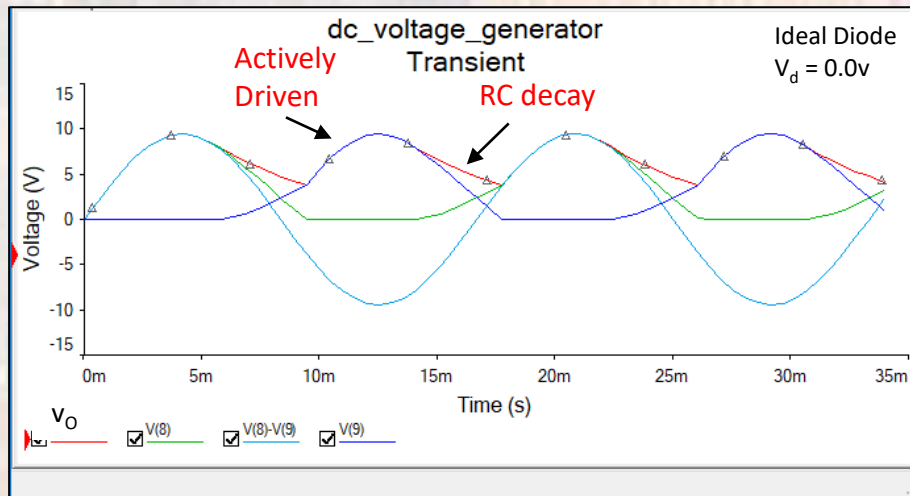
Linear Regulation

- Add a simple Low Pass Filter to a rectifier



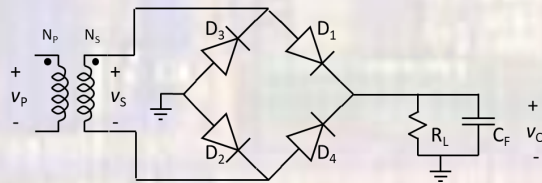
Filter time constant: $\tau = R_L C_F$

Filter Decay Equation: $v_O = v_{initial} e^{-t/\tau}$



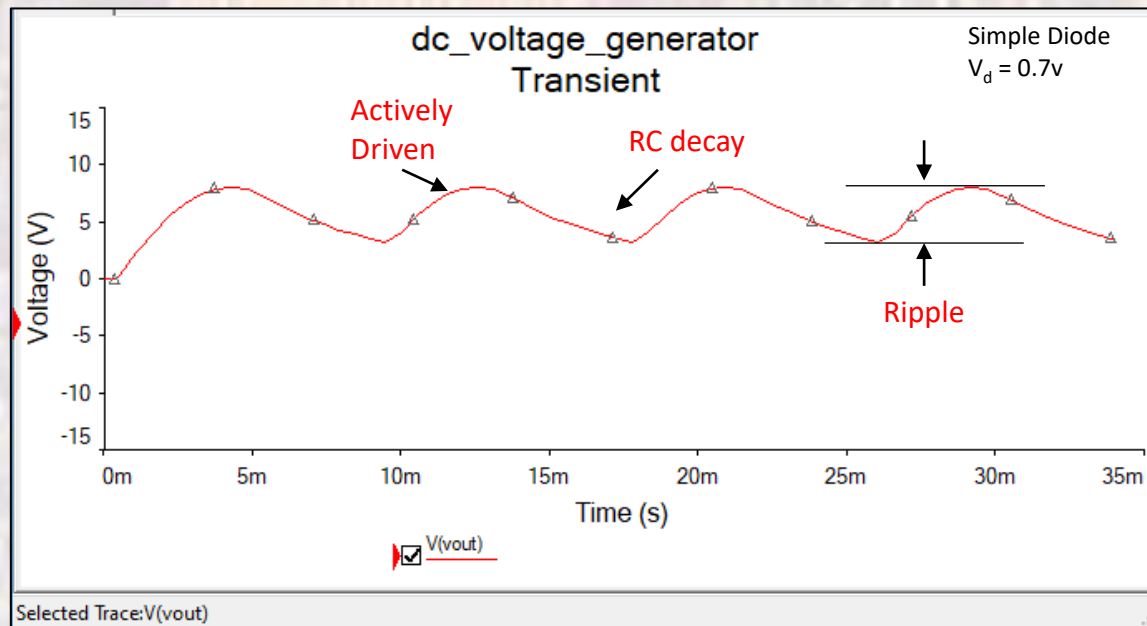
Linear Regulation

- Add a simple Low Pass Filter to a rectifier
 - Resulting output is a pseudo-DC signal



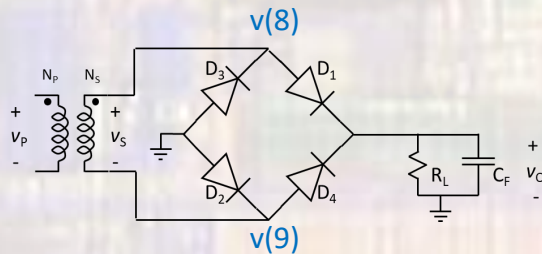
Filter time constant: $\tau = R_L C_F$

Filter Decay Equation: $v_O = v_{initial} e^{-t/\tau}$



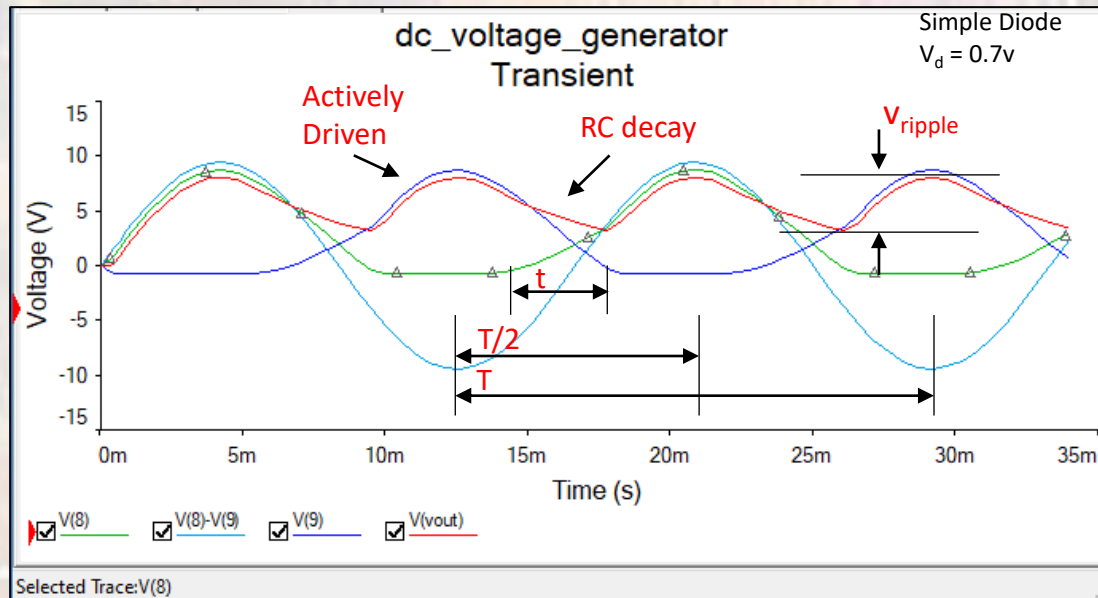
Linear Regulation

- Signal Analysis



Filter time constant: $\tau = R_L C_F$

Filter Decay Equation: $v_O = v_{initial} e^{-t/\tau}$



$$V_{pk} = V_{Srms} * 1.414$$

$$V_{initial} \approx V_{pk} - 2V_D$$

$$t \leq T/2$$

$$e^{-t/\tau} \geq e^{-T/2\tau} = e^{-T/2RC}$$

$$v_O = v_{initial} e^{-T/2RC}$$

$$v_{ripple} = v_{initial} - v_{initial} e^{-T/2RC}$$

$$v_{ripple} = v_{initial} (1 - e^{-T/2RC})$$

Linear Regulation

- Design Example 1
 - Design a bridge rectifier circuit to provide a peak output voltage of 15v and 250mv of ripple.
 - Assume nominal line voltage, simple diodes, $R_L = 1K\Omega$

Transformer Design

15v peak out w/ 2 $v_D \rightarrow 16.4v$ peak v_S

16.4v peak $v_S \rightarrow 11.6v$ rms for v_S

11.6v rms with 120v rms input $\rightarrow N = 10.35$

Filter Design

$T = 1/60Hz = 16.666ms$, $R_L = 1K\Omega$

$$v_{ripple} = v_{initial}(1 - e^{-T/2RC})$$

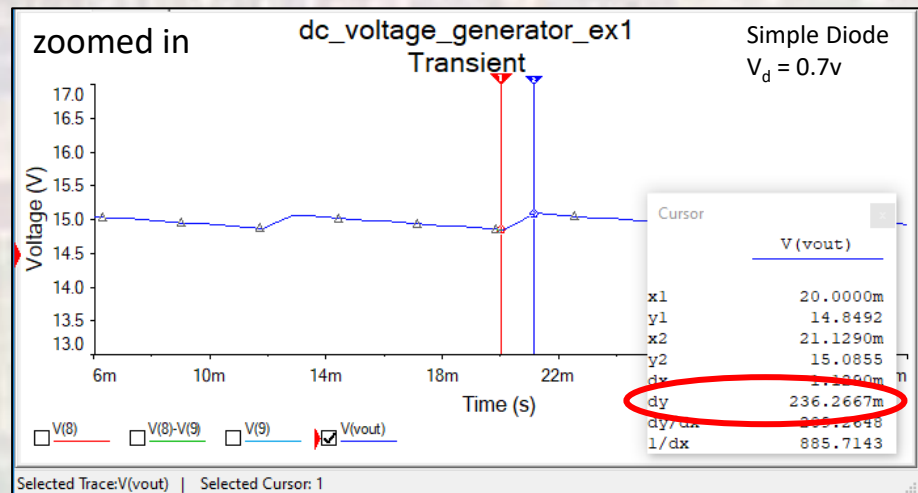
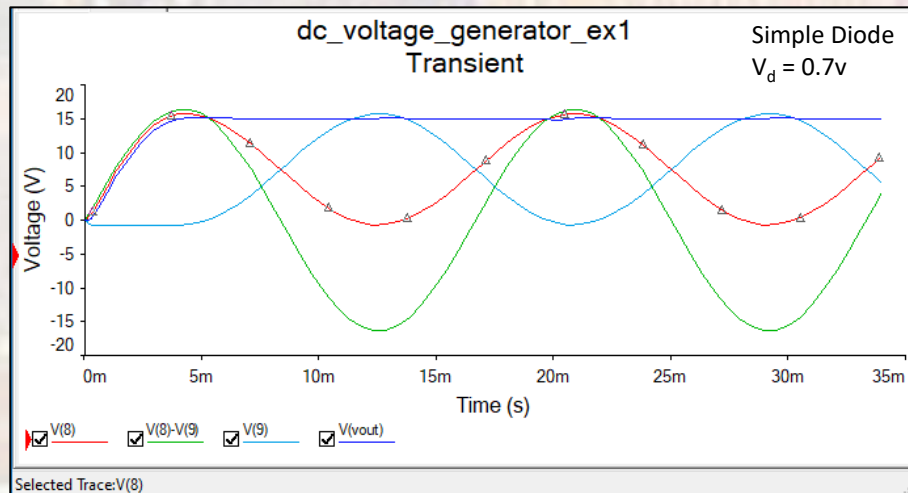
$$250mv = 15v(1 - e^{-16.666ms/2*1K\Omega*C})$$

$$C_F = 496\mu F$$

Linear Regulation

- Design Example 1
 - Design a bridge rectifier circuit to provide a peak output voltage of 15v and 250mv of ripple.
 - Assume nominal line voltage, simple diodes, $R_L = 1K\Omega$

$$V_{\text{ripple}} = 236\text{mv}$$



Linear Regulation

- Design Example 2
 - Design a bridge rectifier circuit to provide a minimum output voltage of 12.5v and < 500mv of ripple.
 - Assume nominal line voltage, simple diodes, $R_L = 1K\Omega$

Transformer Design

13v peak out w/ 2 $v_D \rightarrow 14.4v$ peak v_S
14.4v peak $v_S \rightarrow 10.1v$ rms for v_S
Closest common transformer size would be 12v rms
12v rms $\rightarrow 15.57v$ peak $v_S \rightarrow 14.17v$ peak out

Filter Design

$T = 1/60\text{Hz} = 16.666\text{ms}$, $R_L = 1K\Omega$
 $v_{\text{ripple}} = v_{\text{initial}}(1 - e^{-T/2RC})$
 $500\text{mv} = 14.17v(1 - e^{-16.666\text{ms}/2*1K\Omega*C})$
 $C_F = 231\mu\text{F}$
Closest common (larger) capacitor size is 330uF
 $v_{\text{ripple}} = 353\text{mv}$

Final Design

12v rms transformer
Simple bridge rectifier
330uF filter capacitor

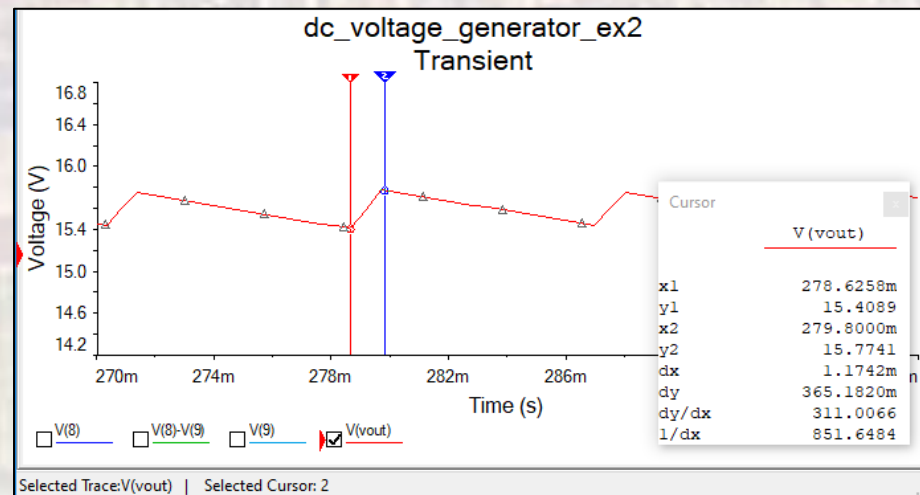
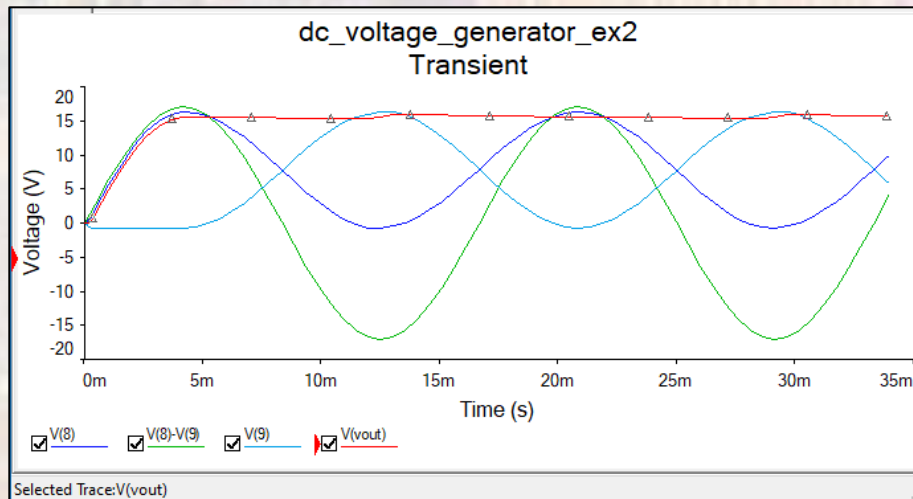
$v_O = 13.83v$ to $14.17v$ (353mv ripple)

Linear Regulation

- Design Example 2
 - Design a bridge rectifier circuit to provide a minimum output voltage of 12.5v and < 500mv of ripple.
 - Assume nominal line voltage, simple diodes, $R_L = 1K\Omega$

$$V_{Omin} = 15.4v$$

$$V_{ripple} = 365mv$$



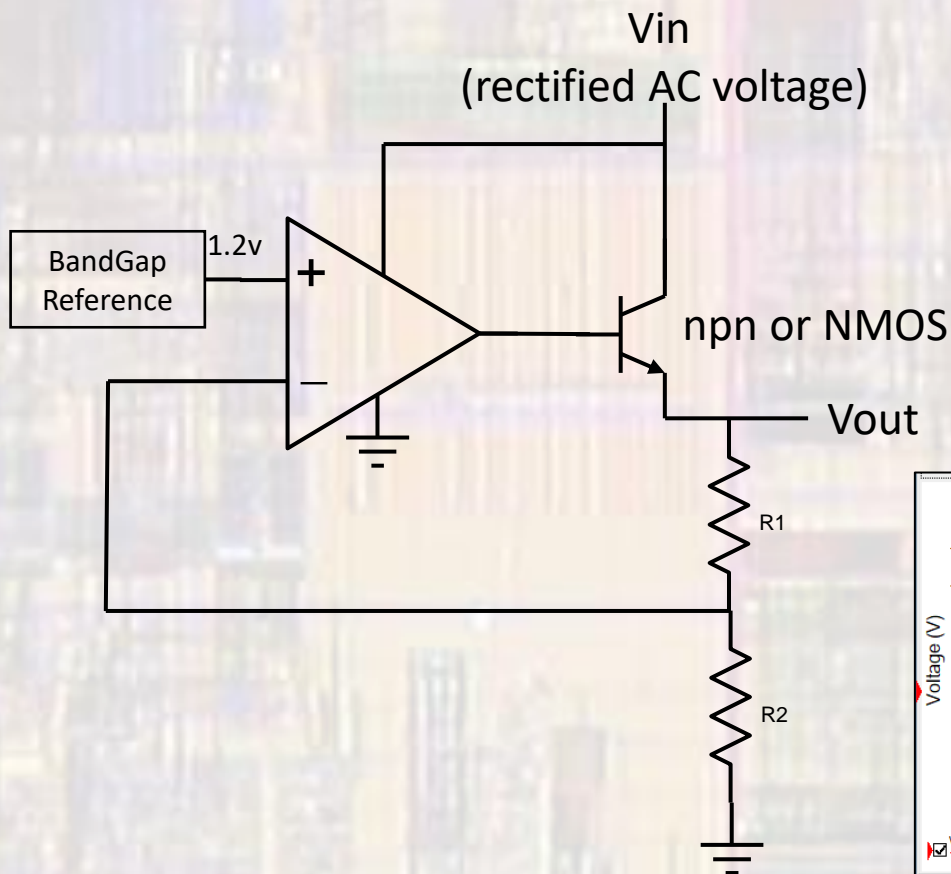
Why different from the predicted results?

Linear Regulation

- DC Power
 - Essentially all digital systems run on DC power internally
 - I can't think of any that run on AC – but all is a hard statement
 - Even DC power solutions vary over time
 - Batteries run down
 - AC power solutions need to be converted to DC
- Voltage regulation

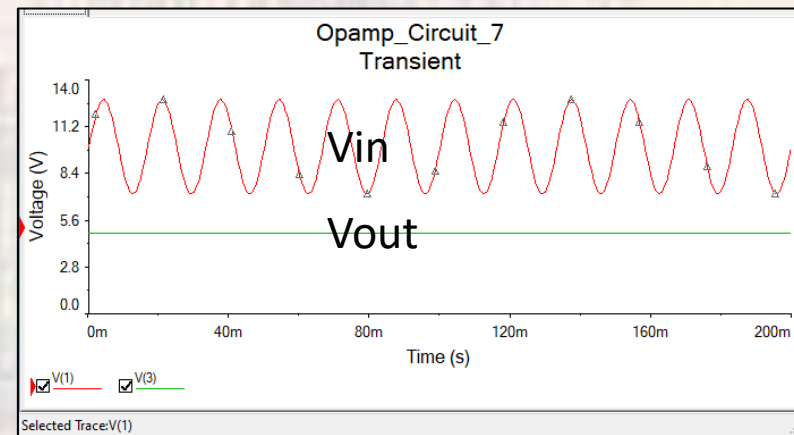
Linear Regulation

- Precision Voltage Regulation
 - Super simple precision voltage regulator



$$\frac{R2}{R1 + R2} V_{out} = V_{bg}$$

$$V_{out} = V_{bg} \frac{R1 + R2}{R2}$$



Linear Regulation

- DC Power – Voltage Regulation
 - Parametrics
 - Output Voltage
 - Fixed for a given regulator
 - Line Regulation
 - Variation in the output voltage (%)
 - Input Voltage
 - Maximum input voltage level
 - Output Current
 - Max current to load
 - Dropout Voltage
 - Minimum input voltage level ABOVE the specified output voltage

Table 7. Electrical characteristics of LD1117#50

Symbol	Parameter	Test condition	Min.	Typ.	Max.	Unit
V_O	Output voltage	$V_{in} = 7\text{ V}, I_O = 10\text{ mA}, T_J = 25\text{ }^\circ\text{C}$	4.95	5	5.05	V
V_O	Output voltage	$I_O = 0\text{ to }800\text{ mA}, V_{in} = 6.5\text{ to }15\text{ V}$	4.9		5.1	V
ΔV_O	Line regulation	$V_{in} = 6.5\text{ to }15\text{ V}, I_O = 0\text{ mA}$		1	10	mV
ΔV_O	Load regulation	$V_{in} = 6.5\text{ V}, I_O = 0\text{ to }800\text{ mA}$		1	15	mV
ΔV_O	Temperature stability			0.5		%
ΔV_O	Long term stability	1000 hrs, $T_J = 125\text{ }^\circ\text{C}$		0.3		%
V_{in}	Operating input voltage	$I_O = 100\text{ mA}$			15	V
I_Q	Quiescent current	$V_{in} \leq 15\text{ V}$		5	10	mA
I_O	Output current	$V_{in} = 10\text{ V}, T_J = 25\text{ }^\circ\text{C}$	800	950	1300	mA
eN	Output noise voltage	$B = 10\text{ Hz to }10\text{ kHz}, T_J = 25\text{ }^\circ\text{C}$		100		μV
SVR	Supply voltage rejection	$I_O = 40\text{ mA}, f = 120\text{ Hz}, T_J = 25\text{ }^\circ\text{C}$ $V_{in} = 8\text{ V}, V_{ripple} = 1\text{ V}_{pp}$	60	75		dB
V_d	Dropout voltage	$I_O = 100\text{ mA}$		1	1.1	V
		$I_O = 500\text{ mA}$		1.05	1.15	
		$I_O = 800\text{ mA}$		1.10	1.2	
	Thermal regulation	$T_A = 25\text{ }^\circ\text{C}, 30\text{ ms Pulse}$		0.01	0.1	%/W